

Into the Black Box: On Artificial Neural Networks

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We still have a lot to learn....

https://www.reddit.com/r/machinegoofingoff/

Artificial Neural Networks (ANNs): Neurobiological Motivations

- Human brain = a good candidate inference engine and learning algorithm
 - Evidence of layered architectures in neuroscientific research, i.e., cortical structures
- Early success of specialized yet deep architectures

Convolutional Networks, NeoCognitron



http://cs.brown.edu/~tld/projects/cortex/



FIGURE 1. The basic components of a parallel distributed processing system.

Why? Feature Abstraction

- Raw features, e.g., pixel values of image, viewed as "low-level" data representation
 - Can be complex & high-dimensional
 - Observed variables: "nature" sensory samples, observed/recorded
- Abstract representations = layers of feature detectors
 - Latent /unobserved variables that describe observed variables
 - Capture key aspects of underlying stochastic process
 - ► Many concepts can be represented as (strict) hierarchies (taxonomy of species) → goal of model is to "learn" a plausible, structured unknown hierarchy
 - Idea: extracting "structure" from "unstructured"/messy data
- Automatic feature engineering



http://www.slideshare.net/roelofp/2014-1021-sicsdlnlpg









(a) Linear model architecture

(b) Single layer neural network architecture architecture

(c) Kernel SVM

Most of machine learning can be viewed as a type of ANN...if you squint hard enough...



Deep cat detector!









Background

A Recipe for Machine Learning

- 1. Given training data: $\{oldsymbol{x}_i,oldsymbol{y}_i\}_{i=1}^N$
- 2. Choose each of these:
 - Decision function

$$\hat{\boldsymbol{y}} = f_{\boldsymbol{\theta}}(\boldsymbol{x}_i)$$

Loss function

 $\ell(\hat{oldsymbol{y}},oldsymbol{y}_i)\in\mathbb{R}$

3. Define goal:

$$oldsymbol{ heta}^* = rg\min_{oldsymbol{ heta}} \sum_{i=1}^N \ell(f_{oldsymbol{ heta}}(oldsymbol{x}_i), oldsymbol{y}_i)$$

4. Train with SGD:(take small steps opposite the gradient)

 $\boldsymbol{\theta}^{(t+1)} = \boldsymbol{\theta}^{(t)} - \eta_t \nabla \ell(f_{\boldsymbol{\theta}}(\boldsymbol{x}_i), \boldsymbol{y}_i)$

QUESTIONS?

