



---

# On Swarms of Particles: Wisdom of the Flock

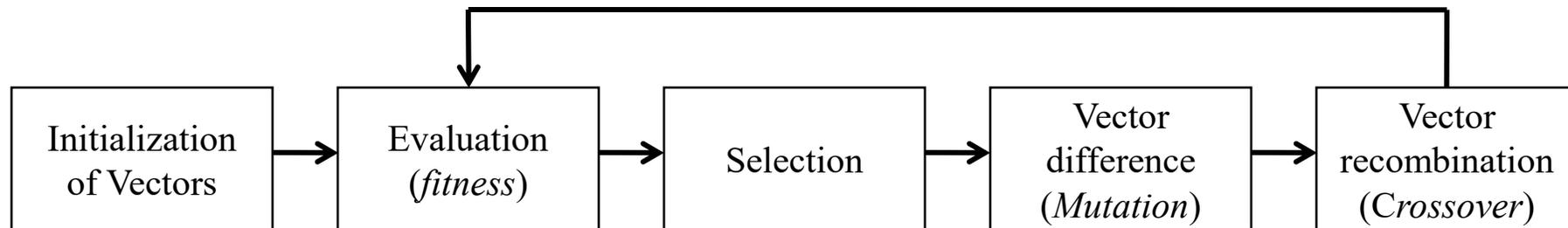
---

Alexander G. Ororbia II  
Biologically-Inspired Intelligent Systems  
CSCI-633  
2/17/2026

*Last Time:*

## Metaheuristic: Differential Evolution (DE)

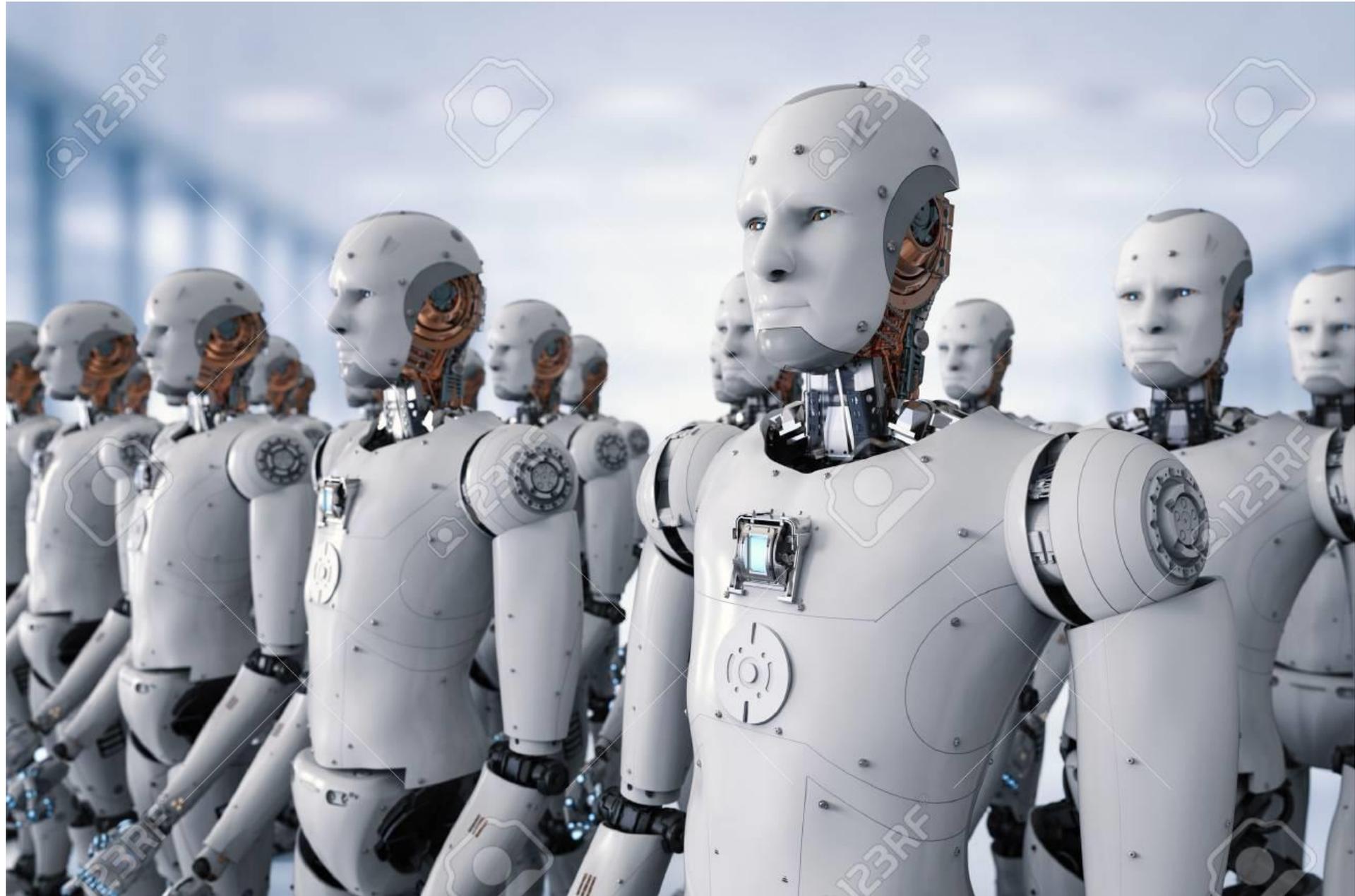
- Devised for continuous search spaces, derivative-free vector-based evolutionary algorithm (differential evolution)
  - *DE/{rand, best}/K/{bin, exp}* (a suite of mini-algorithms for DE)
  - Relies on mutation/crossover operators (in tandem w/ selection)



# Swarm Intelligence

- Uses *real number randomness* and *global communication* (instead of mutation/crossover as in evolution)
- Easier to implement – (also) no encoding/decoding needed
- Particle swarm (optimization) pioneered basic ideas of swarm intelligence
- **Operation** – adjust piecewise paths of individual agents (quasi-stochastic manipulation of positional vectors)







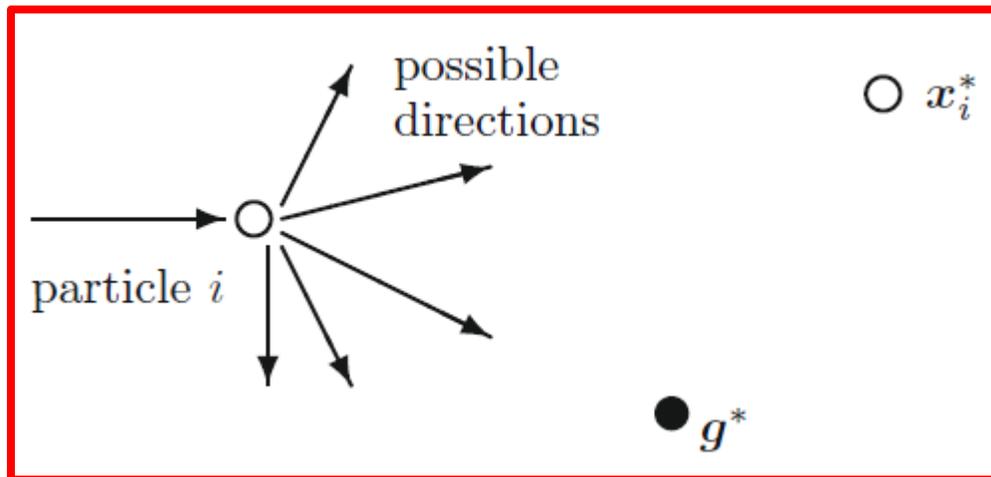
Roger, roger!

# Particle Swarm Optimization (PSO)

- Agent  $i$  = “particle”, guided by stochastic & deterministic component (Kennedy & Eberhart, 1995)
  - Inspired by swarm/schooling behavior of fish and birds
- Attracted to:
  - Current global best location,  $\mathbf{g}^*$  (social intelligence)
  - Current local best location,  $\mathbf{x}_i^{*(t)}$  (cognitive intelligence)
- Has tendency to move randomly (injected noise)
- Using local (individual) best might be increasing diversity in solution quality

# PSO Mechanics

- When particle finds better position (than in history), updates location for agent  $i$
- At any  $t$ , a global best for  $n$  agents is tracked
  - Aim: find global best among current best solutions until objective no longer improves (or after iteration cutoff)



# PSO Mechanics



## Particle Swarm Optimization

---

Objective function  $f(\mathbf{x})$ ,  $\mathbf{x} = (x_1, \dots, x_d)^T$

Initialize locations  $\mathbf{x}_i$  and velocity  $\mathbf{v}_i$  of  $n$  particles.

Find  $\mathbf{g}^*$  from  $\min\{f(\mathbf{x}_1), \dots, f(\mathbf{x}_n)\}$  (at  $t = 0$ )

**while** ( criterion )

**for** loop over all  $n$  particles and all  $d$  dimensions

        Generate new velocity  $\mathbf{v}_i^{t+1}$  using equation (7.1)

        Calculate new locations  $\mathbf{x}_i^{t+1} = \mathbf{x}_i^t + \mathbf{v}_i^{t+1}$

        Evaluate objective functions at new locations  $\mathbf{x}_i^{t+1}$

        Find the current best for each particle  $\mathbf{x}_i^*$

**end for**

    Find the current global best  $\mathbf{g}^*$

    Update  $t = t + 1$  (pseudo time or iteration counter)

**end while**

Output the final results  $\mathbf{x}_i^*$  and  $\mathbf{g}^*$

---

# Accelerated PSO (APSO)



Questions?

